

Coordinates in four quadrants

Coordinate (x, y) (6, 4)

From the origin this coordinate is 6 places along the positive x axis and 4 places up the positive y axis.

(0, a) Will be always be a point on the y axis. (a can be any number)

(a, 0) Will be always be a point on the x axis. (a can be any number)

Always the position on the x axis first

Always the position on the y axis second

Lines parallel to the axes

Intersection points

All the points on this line have a x coordinate of 10

Lines parallel to the y axis take the form $x = a$ and are vertical

Lines parallel to the x axis take the form $y = a$ and are horizontal

All the points on this line have a y coordinate of -2

e.g (3, -2) (7, -2) (-2, -2) all lay on this line because the y coordinate is -2

'a' can be ANY positive or negative value including 0

Reflect horizontally/ vertically (2)

All points need to be the same distance away from the line of reflection

Reflection in the line y axis – this is also a reflection in the line $x=0$

Compare rotations and reflections

R Reflections are a mirror image of the original shape.

Information needed to perform a reflection:

- Line of reflection (Mirror line)

Recognise and use the line $y=x$

This means the x and the y coordinate have the same value

Examples of coordinates on this line: (0, 0) (-3, -3) (8, 8)

The axes scale is important – if the scale is the same $y = x$ will be a straight line at 45°



Rotations are the movement of a shape in a circular motion

Information needed to perform a rotation:

- Point of rotation
- Direction of rotation
- Degrees of rotation

Reflect Diagonally (2)

This is the line $y = x$ (every y coordinate is the same as the x coordinate along this line)

This is the line $y = -x$ The x and y coordinate have the same value but opposite sign

Turn your image
If you turn your image it becomes a vertical/ horizontal reflection (also good to check your answer this way)

Lines parallel to the x and y axis

REMEMBER

Lines parallel to the x-axis are $y = \text{---}$

Lines parallel to the y-axis are $x = \text{---}$



Rotate from a point (in a shape)

Original shape

Point of rotation

Image: 90° clockwise

- 1 Trace the original shape (mark the point of rotation)
- 2 Keep the point in the same place and turn the tracing paper
- 3 Draw the new shape

Clockwise Anti-Clockwise

Rotate from a point (outside a shape)

Image: 90° anti-clockwise

Point of rotation

Original shape

- 1 Trace the original shape (mark the point of rotation)
- 2 Keep the point in the same place and turn the tracing paper
- 3 Draw the new shape

Translation and vector notation

Vector Notation $\rightarrow \begin{pmatrix} 1 \\ -2 \end{pmatrix}$

How far left or right to move
Negative value (left)
Positive value (right)

How far up or down to move
Negative value (down)
Positive value (up)

Translation $\begin{pmatrix} -3 \\ 3 \end{pmatrix}$

Original shape

Every vertex has been translated by the same amount

Enlarge by a positive scale factor

With a scale factor larger than 1 it makes the shape bigger

Enlarged by Scale Factor 3
Every side is 3 times the original length

Enlarge a shape from a point

Scaled distances method

Scale the distance between the point of enlargement and each corresponding vertices

Rays method

Multiply the distance from the centre of corresponding vertices by the scale factor along the ray

