

**Draw and measure angles**

R

Draw a 35° angle  
Make a mark at 35° with a pencil and join to the angle point (use a ruler)

The angle

Make sure the cross is at the end of the line (where you want the angle)

**Scale drawings**

R

A picture of a car is drawn with a scale of 1:30

For every 1cm on my image is 30cm in real life

The car image is 10cm

Image: 10cm  
Real life: 300cm

$\times 10$

**Locus of a distance from a straight line**

All points are equidistant (the same distance) from line

The ends of the line are fixed points

Equipment needed  
The line is straight so a ruler is used for the straight lines parallel to your original line

**Understand and represent bearings**

- A bearing is always measured from NORTH
- It is always given as three figures

The bearing of B from A is calculated by measuring the highlighted angle

Using estimation it is clear this angle is between 090° and 180°

The angle indicated starts from the North line at A and joins the path connecting A to B

This angle shows the bearing of B from A

The sentence... "Bearing of \_\_\_ from \_\_\_" is really important in identifying the bearing being represented

**Locus of a distance from two lines**

Also an angle bisector  
This cuts the angle in half

From the angle vertex draw two arcs that cut the lines forming the angle

Keep the compass the same size and use the new arcs as centres to draw intersecting arcs in the middle

Join the vertex to the intersection

**Constructing Triangles**

Link to steps → R

Side, Angle, Angle

Side, Angle, Side

Side, Side, Side

**Bearings with angle rules**

Because two North lines are PARALLEL....

They form corresponding angles and therefore are the same size

They form co-interior angles and add up to 180°

They form alternate angles and therefore are the same size

**Measure and read bearings**

The bearing of the cow to the barn

This angle is measured from NORTH  
It is measured in a clockwise direction  
Estimation indicates this angle is between 180° and 270°  
Use a protractor to measure accurately  
Remember bearings are written as three figures

The auxiliary line is drawn to help you measure and draw the angle that is measured to represent the bearing

**Locus equidistant from two points**

Also a perpendicular bisector  
Because if the points are joined, this new line intersects it at a 90°

Join the intersections with a ruler  
All points on this line are equidistant from both points

Keep the compass the same size and draw two arcs from each point

**Locus of a distance from a point**

All points are equidistant (the same distance) from the fixed point in the middle

Equipment needed  
The radius is the distance from the fixed point

If the point is in the corner it can only make a quarter circle

**Construct a perpendicular from a point**

Use a compass and draw an arc that cuts the line. Use the point to place the compass

Keep the compass the same distance and now use your new points to make new interconnecting arcs

Connecting the arcs makes the bisector

If P is a point on the line the steps are the same

**Scale drawings using bearings**

Remember – angles DO NOT change size in scaled drawings

The bearing measurements do not change from "real life" to images

The units in the ratio scale are the same

The scale may need to be calculated from the image  
This represents 30km from P to Q

6cm = 30km  
6:3,000,000



Bearings with right-angled geometry

"Due West" bearing of  $270^\circ$  makes a  $90^\circ$  angle

"Due East" bearing of  $090^\circ$  makes a  $90^\circ$  angle

Don't forget the  $90^\circ$  here too

Use  $\tan^{-1}(\frac{15}{20})$  to calculate this angle

A plane flies East for 20km then turns South for 15km. Find the bearing of the plane from where it took off.

Look for Right-angles: Pythagoras Trigonometry (Sin, Cos, Tan)

Directions

Clockwise

Anti-Clockwise

Plans and Elevations

Plan view

Front elevation

Side elevation

Nets

Cube

Cuboid

Triangular Prism

Cylinder

Square Based Pyramid

Properties of 3D Shapes

A cube has:  
 6 faces      12 edges      8 vertices

There is a famous formula known as Euler's formula (pronounced Oy-ler).

It states that for all 3D shapes which have flat faces and straight edges:

$$\text{Faces} + \text{Vertices} = \text{Edges} + 2$$

So for the cube,  $6 + 8 = 12 + 2$